

Discussion of

” How Do Households Value the Future? Evidence  
from Property Taxes”

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# Disclaimer

The views expressed herein are those of the authors, and should not be attributed to the Bank of England.

# 1 Summary of the Paper

- Estimation of nominal net of growth discount rates.
- Using UK data on:
  - Council tax differences across councils.
  - Housing transactions:
    - \* Spatial dimension.
    - \* Time dimension.
    - \* Quality dimension.
- Question: Value difference = PDV of tax difference (c.p.)?
- Main result:
  - 3.7% net (of growth) nominal discount rate.
  - 7.5% gross nominal discount rate.
  - Lower discount rates for more “sophisticated” and richer borrowers.
- Comparison: Close to market borrowing rates.
- Conclusion: Households are rational and optimizing.

## 2 Simple Tax Analytics

- Assumptions for derivations:
  - 1 period = 1 year.
  - Nominal interest rate  $i$  is constant.
  - Nominal land rental value  $y_t$ :
    - \* Available at year-end.
    - \* Grows at the constant nominal rate  $n^y$ .
    - \* Real growth rate  $g^y$ .
  - Nominal taxes  $\tau_t$ :
    - \* Due at year-end.
    - \* Grow at the constant nominal rate  $n^\tau$ .
    - \* Real growth rate  $g^\tau$ .
  - Public goods financed through taxes  $p_t$ :
    - \* Available at year-end.
    - \* Grow at the constant nominal rate  $n^\tau$ .
    - \* Real growth rate  $g^\tau$ .

- Other assumptions of the paper:
  - $\tau$  is lump-sum  $\Rightarrow$  does not directly affect  $y_t$ .
    - \*  $\tau$  is not proportional to land asset values  $V_t$ .
    - \*  $\tau$  is not proportional to land rental values  $y_t$ .
  - Ratio of marginal utilities  $\lambda_{t,t+s}$  can be set to 1.
  - Tax capitalization ratio  $\beta$  need not equal 1.
  - It is acknowledged that higher  $\tau_t$  can lead to higher  $p_t$ .
  - Fixed housing supply: Land, not structures.
  - Literature: Real estate value changes mainly driven by land.
- Ignore risk premia: Cannot be identified separately from expected growth.

- Value of land from a standard land Euler equation (not for structures!):

$$\begin{aligned}
 V_t &= \sum_{s=0}^{\infty} \lambda_{t,t+s} \frac{y_{t+s} - \beta (\tau_{t+s} - p_{t+s})}{(1+i)^{s+1}} \\
 &\approx \sum_{s=0}^{\infty} \left( \frac{y_t (1+n^y)^s}{(1+i)^{s+1}} - \frac{\beta (\tau_t - p_t) (1+n^\tau)^s}{(1+i)^{s+1}} \right) \\
 &= \frac{y_t}{i - n^y} - \frac{\beta (\tau_t - p_t)}{i - n^\tau} \approx \frac{y_t}{r - g^y} - \frac{\beta (\tau_t - p_t)}{r - g^\tau}
 \end{aligned}$$

- In the notation of the paper:

- Land asset values ( $r_H = r - g^y = i - n^y$ ,  $r_T = r - g^\tau = i - n^\tau$ ):

$$V_{i,t} = \frac{\pi H_{i,t}}{r_H} - \frac{\beta (T_{i,t} - P_{i,t})}{r_T}$$

- Land rents  $R_{i,t} = V_{i,t} r_H$ :

$$R_{i,t} = \pi H_{i,t} - \beta \frac{r_H}{r_T} T_{i,t} = \pi H_{i,t} - \tilde{\beta} (T_{i,t} - P_{i,t})$$

### 3 Estimation I: Capitalization Ratio

- Estimating  $\beta$  from rents:

$$R_{i,t} = \pi H_{i,t} - \tilde{\beta} T_{i,t} + f(P_{i,t}) + \phi_{\kappa b t} + \omega_{i,t}$$

- No time differencing due to limited data.
- Spatial differencing using boundary effects  $b$  and public spending  $P_{i,t}$ .
- Result 1:  $\tilde{\beta} = \beta r_H / r_T$  not statistically different from 1.
- Result 2: Inner London  $r_H = 3.0\%$ , very close to estimated  $r_T$  (see below).
- Implication:  $\beta = 1$  is a reasonable assumption.
- The literature does not contradict this strongly.

## 4 Estimation II: Discount Factor

- Interjurisdictional equation:

$$\Delta V_{i,\tilde{t}} = -\frac{\beta}{r_T} \Delta T_{i,\tilde{t}} + \phi_{\kappa b \tilde{t}} + \Delta \omega_{i,t} + \frac{\Delta \pi_{\tilde{t}}}{r_H} H_{i,t} + \frac{1}{r_P} \Delta f(P_{i,\tilde{t}})$$

- Estimate in differences to eliminate unobserved characteristics:
  - Impossible to fully know  $H_{i,t}$ .
  - $\Delta \pi_{\tilde{t}} =$  change in preferences for attributes (size, age, open space).
- Estimate at LA boundaries to eliminate public spending benefits:
  - Relative  $P_{i,t}$  goes to zero at the boundary. Non-excludable.
  - But with  $\Delta f(P_{i,\tilde{t}})$  test this more directly.  $f =$  polynomial.
- Fixed effects  $\phi_{\kappa b \tilde{t}}$ :
  - $\kappa =$  tax band (8 bands).
  - $\tilde{t} =$  pair of years when property sold (2.3 million pairs).
  - $b =$  boundary between a pair of local authorities (326 LAs): 1km-2km.



- Interjurisdictional estimation result:  
 $r_T = 3.7\%$  and  $n^T = 3.8\%$  (data)  $\Rightarrow i \in [3.7\%, 7.5\%]$ .
- Intrajurisdictional estimation result:  
 $r_T = 2.9\%$  and  $n^T = 3.8\%$  (data)  $\Rightarrow i \in [2.9\%, 6.7\%]$ .
- Why the ranges?
  - $P_{i,t}$  tightly comoves with  $T_{i,t}$ .
  - If it's valued the same, tax growth has no net effect on values.
  - Question: Does that not contradict the estimation specification?
- Comparison opportunity cost rates range:  $i \in [3.8\%, 5.7\%]$ :
  - Risk-free rate: 3.8%.
  - Fixed mortgage rate: 4.4%.
  - Variable mortgage rate: 5.7%.

- Time pattern:
  - Close comovement until 2008 at lower end of range (i.e. incl.  $P_{i,t}$ ).
  - Discount rates remain flat after 2008.
  - But market rates drop a lot.
  - Hypothesis: Due to 2008 downward revision in expected tax growth  $n^T$ .
  - Question: Does that not require upward revision of pre-2008  $n^T$ ?
- Cross-sectional pattern: Lower discount rates for
  - More “sophisticated” borrowers.
  - Richer borrowers, e.g. without mortgage finance.

## 5 Comments

- This is a published paper:
  - I am sure the empirical part has been put through the grinder.
- The issue here is rationality and optimal behavior:
  - 1 pp difference b/w discount rate and opportunity cost would be large.
  - The range of estimates presented covers 4 percentage points.
  - So results are suggestive but not conclusive concerning optimal behavior.
- Why do we not look only at the upper end of the range?
  - The estimation specification has 2 controls for the effects of spending.
  - Any residual effect should therefore be purely due to taxes.
  - Unless the idea is that there is spatial variation inside each LA: Spending does matter away from the boundary.
  - If that is the idea, it should be spelled out.
  - At the upper end of the range, buyers discount the future by too much.
  - How do we interpret that?

- Some more corroboration:
  - Kumhof, Tideman, Hudson and Goodhart (2022) on land value taxation.
  - Versions of this paper exist for the US and the UK.
  - UK after-tax return to land in 2018: 4.2%.
  - This falls within the range of this paper.
- Bottom line:
  - Very valuable contribution to the literature.
  - My only major comment:
    - I would like a bit more help concerning which part of the considerable range for implicit discount rates I should pay most attention to.

THANK YOU